# Using AI to predict excavation behaviour without calculations

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## Purpose of this work

- Have an almost instantaneous estimation of excavation behaviour
- f(excavation geometry, soils characteristics, support system) -> excavation behaviour

- Why?
  - Fast and creative pre-design
  - Automatic pre-design
- The goal is not to replace Zsoil or ZSWalls





### First step

- Proof of concept:
  - one soil
  - freestanding sheet pile wall
  - excavation depth between 2m and 8m
  - No water
- f(exc, L, E, phi, c, A, I) -> (convergence, maximum settlement, maximum wall deviation, maximum bending moment)





### Processus

- Supervised learning: learning a function that matches input to output (function fitting)
- Inputs and outputs obtained from a synthetic databases of ZSWalls simulations
- Neural network is the function to be fitted





### Database

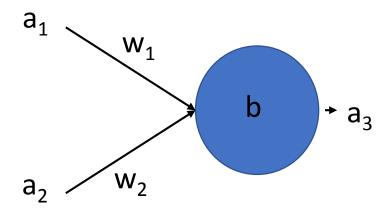
- Automatic generation of the inpw files for ZSWalls
- Batch command to execute the computation
- Results extracted with zstools developed by M. Preisig





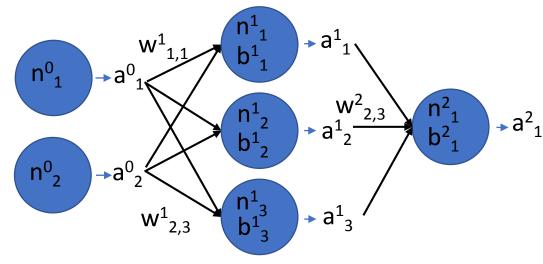
### Neural networks

A neuron



- $a_3 = f(w_1 * a_1 + w_2 * a_2 + b)$
- f can be:
  - Hyperbolic tangent
  - Sigmoid
  - ReLU

A neural network



- The parameters to be learned are the weights w and bias b
- $a_i^l = f(\sum_k w_{k,i}^l a_k^{l-1} + b_i^l)$





### How does a neural network learn?

#### Random parameters

 sampled from a carefully chosen distribution to help training



#### Forward pass

• with some samples from the database

#### **Gradient Descent**

• on the parameters

#### Computation of the error

- Mean squared error
- Mean absolute error
- Binary cross entropy

#### Backpropagation

 Chain rule to compute the gradient of the error w.r.t the parameters





# Why Neural networks?

- Universal function estimator :
  - Given enough neurons, a neural network can represent any continuous function at any precision wanted
- More neurons -> more «representational power» : can learn more complex function
- Good (but not well understood) generalisation capacity between training points
- But risk of overfitting! (learning by-rote or learning the noise)





### Architecture of neural networks

- To predict convergence : one hidden layer of 10 neurons
  - Output a number between 0 and 1, the closer to 1, the likelier the excavation holds
- To predict displacements and moments :
  - One network per output
  - Three architectures tested:

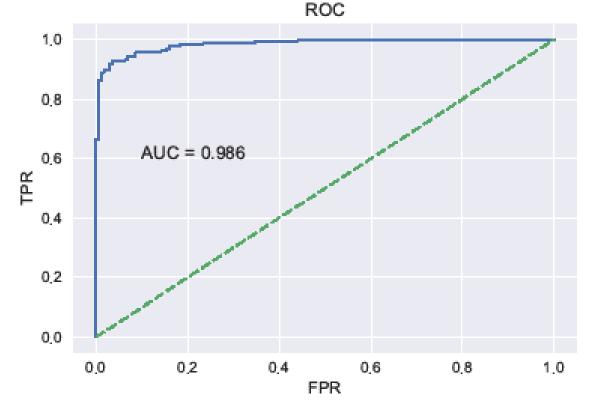
Name	Number of hidden layers	Number of neurons per hidden layer		
10	1	10		
30	1	30		
30red	3	30-20-10		





### Results : Convergence

Cut-off point	Accuracy	PPV	NPV	
÷	%	%	%	
0.5	92.9	94.52	90.26	
0.9	88.7	98.67	77.73	
0.95	99.2	99.18	72.43	
0.99	79	100	64.2	



**PPV**: Positive Predicted Value: fraction of positive predicted

values that are correct

**NPV**: Negative Predicted Value: fraction of negative

predicted value that are correct

**TPR**: True Positive Rate: fraction of positives classified correctly

**FPR**: False Positive Rate: fraction of negative classified

incorrectly





# Results: Displacements and moment

MAE: Mean Absolute Error MRE: Mean Relative Error RE95: 95 percentile of the Relative Error

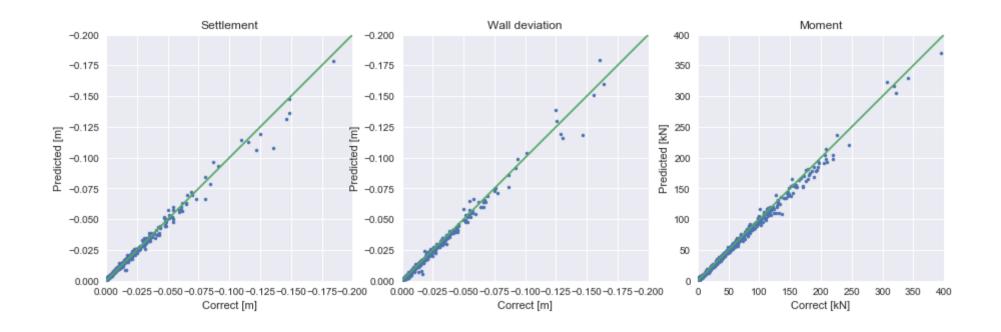
\_tr : truncated : absolute errors under 2 mm or 5 kN omitted

Settlement	Model	R <sup>2</sup>	MAE [m]	MRE	RE95	MRE_tr	RE95_tr
	10	0.983	1.7E-03	1.52	8.21	0.08	0.21
	30	0.988	1.3E-03	1.07	5.90	0.06	0.15
	30-20-10	0.989	1.4E-03	1.40	7.00	0.05	0.12
Wall deviation	Model	$R^2$	MAE [m]	MRE	RE95	MRE_tr	RE95_tr
	10	0.982	1.3E-03	0.22	0.88	0.04	0.17
	30	0.991	1.1E-03	0.16	0.54	0.02	0.14
	30-20-10	0.991	9.8E-04	0.12	0.37	0.02	0.11
Moment	Model	R <sup>2</sup>	MAE [kN]	MRE	RE95	MRE_tr	RE95_tr
	10	0.995	2.7	0.13	0.34	0.02	0.10
	30	0.995	2.6	0.13	0.30	0.01	0.08
	30-20-10	0.994	2.7	0.12	0.30	0.01	0.08





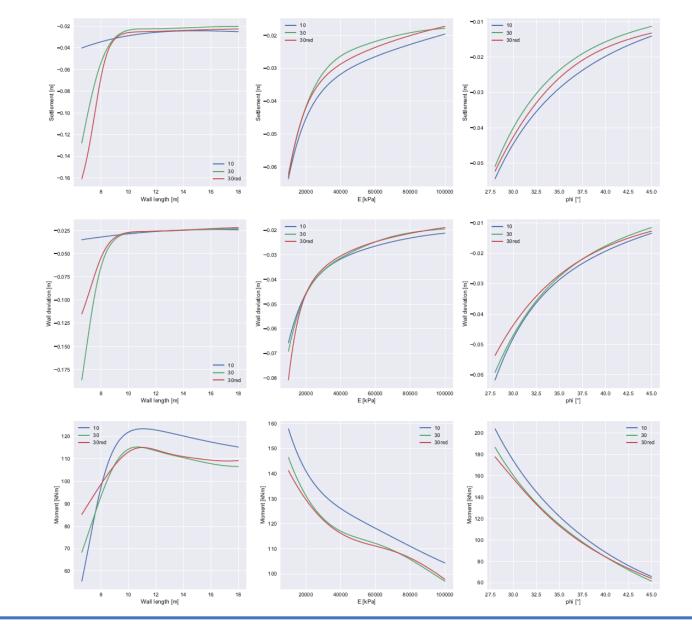
# Results: Displacements and moment







### Results







# Application: Automatic design

# A script tries to find the optimal freestanding sheet pile (length and model) for a given excavation

- How :
  - For every sheet pile type from a given catalogue, find the shortest length that satisfies the constraints.
  - Chose the one that minimises the objective function
- Constraints:
  - Settlements and wall deviation inferior to 1/300 \* excavation depth
- Objective function (naive):
  - Minimum steel volume

- Results out of 256 cases :
  - 155 cases where a freestanding sheet pile wall could holds
  - Of which:
    - 133 (86%) respected the constraints
    - 11 (7%) slightly violated the constraints
    - 6 (4%) violated the constraints more (max : 21% too much displacements)
    - 5 (3%) did not converge
  - In average, the constraints were respected with a margin of 41%
  - 98 s total computation time for all cases





### Conclusion

- Concept proved!
  - Mean Relative Error between ZSWalls and Neural network below 5% and below 12% for 95 predictions out of 100
  - Very fast prediction (~1 ms)
- What's next? (Current work)
  - Extends the model to multiple soils, different support system (diaphragm wall, struts, anchors)
  - Build a less naive automatic pre-design procedure



